

HyperPlay: A Solution to General Game Playing with Imperfect Information

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General Game Playing...

- Intelligent agents that can automatically learn how to skillfully play **a wide variety of games**, given only the descriptions of the game rules.
- Agents have to learn diverse game-playing strategies without any game-specific knowledge being provided by their developers.
- Relevant game-specific knowledge required for expert-level play, must be effectively discovered **during play!!**

...with Imperfect Information

- Players don't know exactly the actions chosen by other players.
- They know who the other players are, what their **possible** strategies/actions are, and the preferences/payoffs of these other players.
- Hence, information about the other players is imperfect.
 - E.g.: Card games, like bridge and poker.

GDL: Game Description Language

- A first-order logic based language (variant of Datalog) for defining discrete games with **complete information!**
- The expressiveness of GDL allows a large range of deterministic, perfect information, simultaneous-move games to be described, with any number of adversary or cooperating players.
 - **Turn-based** games are modeled by having the players who do not have a turn return a special no operation move.

<code>role (?r)</code>	?r is a player
<code>init (?f)</code>	?f holds in the initial position
<code>true (?f)</code>	?f holds in the current position
<code>legal (?r, ?m)</code>	?r can do ?m in the current position
<code>does (?r, ?m)</code>	player ?r does move ?m
<code>next (?f)</code>	?f holds in the next position
<code>terminal</code>	the current position is terminal
<code>goal (?r, ?v)</code>	?r gets payoff ?v

GDL-II: GDL with incomplete/imperfect information

- GDL has recently been extended.
- Two new keywords to describe arbitrary (finite) games with **randomized** moves and **imperfect information**:
 - sees
 - random

<code>role (?r)</code>	?r is a player
<code>init (?f)</code>	?f holds in the initial position
<code>true (?f)</code>	?f holds in the current position
<code>legal (?r, ?m)</code>	?r can do ?m in the current position
<code>does (?r, ?m)</code>	player ?r does move ?m
<code>next (?f)</code>	?f holds in the next position
<code>terminal</code>	the current position is terminal
<code>goal (?r, ?v)</code>	?r gets payoff ?v
<hr/>	
<code>sees (?r, ?p)</code>	?r perceives ?p in the next position
<code>random</code>	the random player (aka. Nature)

HyperPlay: The Technique

- General approach that can be used by **any** general game player.
- The intuition is to **translate** imperfect-information games into a format suitable for simpler, perfect-information players.

HyperPlay: The Algorithm

- We maintain a bag H of **HyperGames** (random samples or “guesses” of the current true game state).
- In each round n , a perfect-information player can select a next move a_n suitable for each of these isolated models.
- Our move selection is then submitted to the game controller and a new set of percepts in for this round is received.
- Each model M in our bag of samples H is then **propagated** forward to reflect the deeper game tree.
- If we select a path that the last percepts reveal to be impossible, then we reach a state where no consistent joint move can be found, so:
 - we **backtrack** by adding the guilty move vector to a set of bad moves for that state,
 - and we call **forward** on this earlier game node, effectively undoing the move and attempting to push forward again.
- This process repeats until a consistent model is found for the current round.

Move Selection

- The HyperPlay algorithm is **agnostic** of the move selection process.
- Move selection should be based on:
 - the **expected** value of a move in a HyperGame
 - the **propability** that the HyperGame is the true game

Experiments

- Several games were selected:
 - Monty Hall,
 - Krieg-TicTacToe,
 - Blind BreakThrough
- The HyperPlayer opposed a **Cheat**, a HyperPlayer with access to the true game, and **fully resourced** so that it made the best move choices within the limitations of the move selection process.
 - The method for calculating the Cheat's resources was to play one Cheat against another Cheat with different resources.

Results

- The results showed a successful implementation of the HyperPlay technique for playing imperfect information games.
- The collection of models:
 - can be very **accurate**,
 - is a **credible substitute** for perfect information about the true game,
 - can be **competitive** even against a Cheat.

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Thank you!



1



2



3



Monty Hall

```

1 role(candidate). role(random).
2
3 init(closed(1)). init(closed(2)). init(closed(3)).
4 init(step(1)).
5
6 legal(random,hide_car(?d)) <= true(step(1)),
7                               true(closed(?d)).
8 legal(random,open_door(?d)) <= true(step(2)),
9                               true(closed(?d)),
10                              not true(car(?d)),
11                              not true(chosen(?d)).
12 legal(random,noop)           <= true(step(3)).
13 legal(candidate,choose(?d)) <= true(step(1)),
14                              true(closed(?d)).
15 legal(candidate,noop)        <= true(step(2)).
16 legal(candidate,noop)        <= true(step(3)).
17 legal(candidate,switch)      <= true(step(3)).
18
19 sees(candidate,?d) <= does(random,open_door(?d)).
20 sees(candidate,?d) <= true(step(3)), true(car(?d)).
21 next(car(?d))           <= does(random,hide_car(?d)).
22 next(car(?d))           <= true(car(?d)).
23 next(closed(?d)) <= true(closed(?d)),
24                               not does(random,open_door(?d)).
25 next(chosen(?d)) <= does(candidate,choose(?d)).
26 next(chosen(?d)) <= true(chosen(?d)),
27                               not does(candidate,switch).
28 next(chosen(?d)) <= does(candidate,switch),
29                               true(closed(?d)),
30                               not true(chosen(?d)).
31
32 next(step(2)) <= true(step(1)).
33 next(step(3)) <= true(step(2)).
34 next(step(4)) <= true(step(3)).
35
36 terminal <= true(step(4)).
37
38 goal(candidate,100) <= true(chosen(?d)), true(car(?d)).
39 goal(candidate, 0) <= true(chosen(?d)), not true(car(?d)).
40 goal(random,0).

```

A GDL – II description of the Monty Hall game [Rosenhouse, 2009] adapted from [Thielscher, 2011].

HyperPlay: The Algorithm

```
1 procedure main()
2 begin
3    $\mathcal{H} := \{\langle \emptyset \rangle, \dots, \langle \emptyset \rangle\}$ 
4    $n := 1$ 
5   repeat
6      $a_n := \text{select\_move}(\mathcal{H})$ 
7      $I_n := \text{submit\_move}(a_n)$ 
8     for all  $M \in \mathcal{H}$  do
9       forward( $M, n + 1$ )
10     $n := n + 1$ 
11  until end_of_game
12 end
13
14 procedure forward( $M = \langle B_1, \vec{m}_1, \dots, B_{k-1}, \vec{m}_{k-1}, B_k \rangle, n$ )
15 begin
16   if  $k < n$  then
17     if choose  $\vec{m} \in \mathcal{L}(M) \setminus B_k$ 
18       with  $\vec{m}|_r = a_k$  &&  $\mathcal{I}(\vec{m}, M) = I_k$  then
19          $M := M \oplus \vec{m}$ 
20         forward( $M, n$ )
21       else
22         backtrack( $M, n$ )
23   end
24
25 procedure backtrack( $\langle B_1, \vec{m}_1, \dots, B_{k-1}, \vec{m}_{k-1}, B_k \rangle, n$ )
26 begin
27    $B_{k-1} := B_{k-1} \cup \{\vec{m}_{k-1}\}$ 
28   forward( $\langle B_1, \vec{m}_1, \dots, B_{k-1} \rangle, n$ )
29 end
```

Move Selection

- $P(HG_i | \text{Percepts}) = \frac{P(\text{Percepts} | HG_i) * P(HG_i)}{P(\text{Percepts})}$

- $P(HG_i | \text{Percepts}) \sim P(HG_i)$

Move Selection

- $\text{ChoiceFactor}_i = \prod_j \text{Choices}_{i,j}$
- $$P(\text{HG}_i) = \frac{1 / \text{ChoiceFactor}_i}{\sum_n 1 / \text{ChoiceFactor}_n}$$
- $$E(\text{Move}_j) = \sum E(\text{Move}_{i,j}) * P(\text{HG}_i)$$